

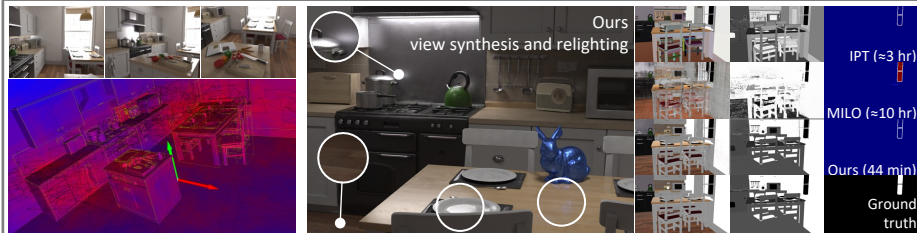


UCSD CSE
Computer Science and Engineering

Liwen Wu^{1*}, Rui Zhu^{1*}, Mustafa B. Yaldiz¹, Yinhao Zhu², Hong Cai², Janarbek Matai², Fatih Porikli², Tzu-Mao Li¹, Manmohan Chandraker¹, Ravi Ramamoorthi¹
¹UC San Diego ²Qualcomm AI Research



Overview



Input views (~200) and geometry Results and application Material Roughness Emission reflectance (error map)

Goal:

Given dense HDR observation and geometry of an indoor scene, we seek to efficiently estimate:

- dense materials (BRDF);
- emitters (masks & emission);

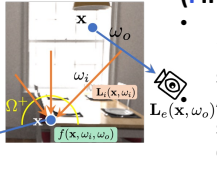
while capturing fine details and specularity.

The rendering equation:

$$\min_{\mathbf{L}_e, \sigma, \mathbf{L}_s} \sum_{\mathbf{x}, \omega_o} \|\mathbf{L}(\mathbf{x}, \omega_o) - \mathbf{L}_{gt}(\mathbf{x}, \omega_o)\|_2^2$$

where, $\mathbf{L}(\mathbf{x}, \omega_o) = \mathbf{L}_e(\mathbf{x}, \omega_o) + \mathbf{L}_r(\mathbf{x}, \omega_o)$

$$\mathbf{L}_r(\mathbf{x}, \omega_o) = \int_{\Omega^+} \mathbf{L}_i(\mathbf{x}, \omega_i) f(\mathbf{x}, \omega_i, \omega_o) d\omega_i$$



Applications:

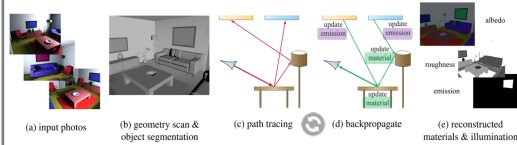
- novel view synthesis;
- scene editing (relighting, material editing, object insertion).

Factorized Inverse Path Tracing (FIPT):

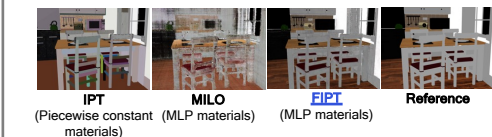
Factorize and approximate rendering integral into pre-computable terms (i.e. shading, BRDF): Analytically solve emitters in the first step, instead of jointly estimating dense emission and BRDF.

Inverse Path Tracing (IPT):

- Jointly optimize emission and materials from scratch;
- Differentiable path tracing with gradient descent.

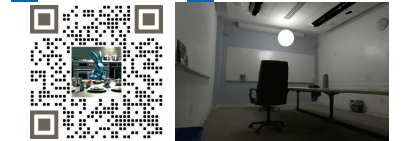


- Sensitive to variances.



emitters are first extracted, then shading and material (BRDF) are updated alternatively.

Resources & demos:



Datasets

- Synthetic indoor datasets;
- Our real-world captures: (1) ~200 frames per-scene; (2) linear response HDR via exposure bracketing.



FIPT Factorized Inverse Path Tracing for Efficient and Accurate Material-Lighting Estimation

Method

Factorized light transport:

- Integral-free:** (1) optimizable BRDF parameters are moved out of the rendering integrals; (2) then shadings can be pre-computed offline with variance reductions tricks (MIS, denoising, etc.);

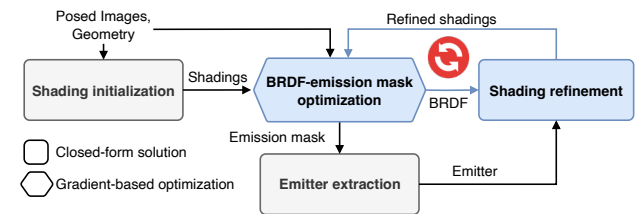
$$\mathbf{L}_r(\mathbf{x}, \omega_o) = \int_{\Omega^+} \mathbf{L}_i(\mathbf{x}, \omega_i) f(\mathbf{x}, \omega_i, \omega_o) d\omega_i$$
$$= \mathbf{k}_d \mathbf{L}_d(\mathbf{x}) + \mathbf{k}_s \mathbf{L}_s^0(\mathbf{x}, \omega_o, \sigma) + \mathbf{L}_s^1(\mathbf{x}, \omega_o, \sigma)$$

where, $\mathbf{L}_d(\mathbf{x}) = \int_{\Omega^+} \mathbf{L}_i(\mathbf{x}, \omega_i) \frac{(\mathbf{n} \cdot \omega_i)}{\pi} d\omega_i$ ← diffuse shading
 $\mathbf{L}_s^0(\mathbf{x}, \omega_o, \sigma) = \int_{\Omega^+} \mathbf{L}_i(\mathbf{x}, \omega_i) \frac{F_0 DG}{4(\mathbf{n} \cdot \omega_o)} d\omega_i$ ← specular shadings
 $\mathbf{L}_s^1(\mathbf{x}, \omega_o, \sigma) = \int_{\Omega^+} \mathbf{L}_i(\mathbf{x}, \omega_i) \frac{F_1 DG}{4(\mathbf{n} \cdot \omega_o)} d\omega_i$

- Pre-compute specular shadings with 6 pre-defined roughness levels σ_k :
 - Given estimated roughness, shading can be linearly interpolated from pre-baked shadings.
 - $\mathbf{L}_s^*(\cdot, \sigma) \approx \text{lerp}(\{\mathbf{L}_s^*(\cdot, \sigma_k)\} | \sigma_k \in \text{linspace}(0,1,6)), \sigma$

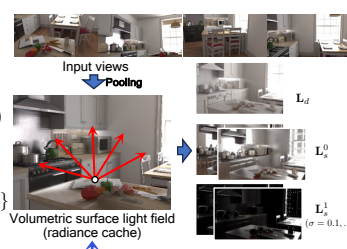
- Alternate optimization based on factorization: Initialize/re-bake $\{\mathbf{L}_d, \mathbf{L}_s^0, \mathbf{L}_s^1\}$ Optimize $\{\mathbf{L}_e, \mathbf{k}_d, \mathbf{k}_s, \sigma\}$

Pipeline:



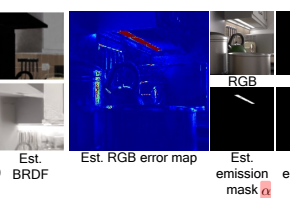
Shading initialization

To initialize the shadings, we pool the input views onto a volumetric surface light field. Querying it as an approximation of the global incident illumination allows us to estimate the initial diffuse and specular shading integrals for each input view.



BRDF and emission estimation

Given the initial shadings we solve for BRDF and emission. The materials are encoded in a coordinate based MLP then updated by gradient descent. We optimize without emission term but an emission mask with sparsity constraint. This compensates error near emissive surface and tell which part is an emitter.



- Other novelty:** Neural representation of materials: $\mathbf{k}_d, \mathbf{k}_s, \sigma = \text{MLP}_{\Theta_1}(\text{hashgrid}(\mathbf{x}))$
 $\alpha = \text{MLP}_{\Theta_2}(\gamma(\mathbf{x}))$

Optimize material and emission with sparsity priors:
 $\text{argmin}_{\Theta_1, \Theta_2} \|(1 - \alpha)(\mathbf{k}_d \mathbf{L}_d + \mathbf{k}_s \mathbf{L}_s^0 + \mathbf{L}_s^1 - \mathbf{L}_{gt})\|_2^2 + \lambda \|\alpha\|_2^2 + \lambda' \|\sigma\|_2^2$

- Leads to more piece-wise constant material estimation;
- Enables fast error-driven emitter estimation.

Error-driven emitter estimation

Optimization without emission terms produces distinctive error near emissive surfaces (1st column). By jointly optimizing an emission mask to cancel this error, the emitter can be found by checking the mask's response (works even for tiny emitters), and its emission value can be obtained by median-pooling the RGBs from training pixels.

$$\mathbf{L}_e = \begin{cases} \text{median}_x \mathbf{L}_{gt}(\mathbf{x}) & \alpha > 0.01 \\ 0 & \text{otherwise} \end{cases}$$

Shading refinement

The wall cabinet's diffuse reflectance estimation is initially darker than ground truth, owing to the excessive incident light received from the range hood that reflects non-diffuse light (2nd column). The artifacts are reduced by growing the path (blue) for the specular surface according to the optimized BRDF (1st column), which gives more accurate shadings that can be used to further refine the BRDF (3rd column).



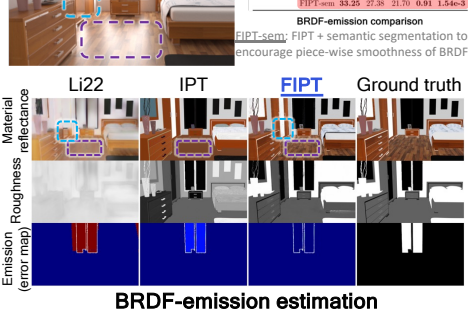
Evaluation: synthetic scenes

Method	Bathroom	Bedroom	Livingroom	Kitchen
FVP	23.38	20.49	24.63	20.77
IPT	14.76	21.85	22.87	19.94
MILO	20.62	20.25	24.47	18.09
FIPT	25.42	29.84	30.86	25.38
FIPT-sem	25.76	29.89	30.84	25.27

Our method successfully reconstructs BRDF (1st and 2nd rows) and emission (3rd row) with high frequency details and less ambiguity (e.g. floor texture and mirror). Emission estimation is shown as error heatmaps.

Method	k_d	k_s	σ	IoU _{L2}
L22	10.92	15.78	13.77	0.45
NeLF	10.12	9.01	14.82	0.24
MILO	22.43	18.59	14.69	0.33
FIPT	11.83	9.80	5.56	0.05
FIPT-sem	10.88	28.28	28.79	0.08

We better reproduce specularity in lighting and materials (e.g. the range hood and mirror).



Evaluation: real scenes

We test all methods in the task of light editing, by inputting images of original lighting, and rendering images under novel lighting by inserting virtual front lights, in novel views. We can then use our captured images of novel lighting as reference (or pseudo ground truth).

As we may observe here, our method is the closest to the reference, with shadows under the desk and specular highlights on the floor decently reproduced, with minimal artifacts.

